

Subject Code	Subject Name	Teaching Scheme			Credits Assigned			
		Theory	Pract.	Tutorial	Theory	TW/ Pract.	Tutorial	Total
SEITC401	Applied Mathematics - IV *	04	--	01	04	-	01	05

Subject Code	Subject Name	Examination Scheme								
		Theory Marks					Term Work	Practical	Oral	Total
		Internal assessment			End Sem. Exam					
		Test1	Test2	Avg.						
SEITC401	Applied Mathematics –IV*	20	20	20	80	25	-	-	125	

Course Objective:

This course will present matrix theory, Similar matrices and it's application to find the matrices function. Present methods of computing and using eigen values and eigen vectors. Set up and directly evaluate contour integrals Cauchy's integral theorem and formula in basic and extended form. Present Taylor and Laurents series to find singularities zero's and poles also presents residues theory and it's applications. Present theory of probability, Baye's Theorem, Expectation and Moments and it's application. Present probability distribution such as binomial, Poisson and normal distribution with their properties. Present sampling theory and it's application for small and large sample. Present methods of computing optimization using simplex method.

Student Learning Outcomes:

Students in this course will apply the method of solving complex integration and computing residues. Use residues to evaluate various contour integrals. Demonstrate ability to manipulate matrices and compute eigen values and eigenvectors.

Students in this course will apply the Procedure and methods to solve technical problems.

Detailed Syllabus:

Sr.No.	Details	Hrs
Module 01	<p>Complex Integration</p> <p>1.1 Complex Integration – Line Integral, Cauchy’s Integral theorem for simply connected regions, Cauchy’s Integral formula(without proof)</p> <p>1.2 Taylor’s and Laurent’s series (without proof)</p> <p>1.3 Zeros, poles of f(z), Residues, Cauchy’s Residue theorem</p> <p>1.4 Applications of Residue theorem to evaluate Integrals of the type</p> $\int_0^{2\pi} f(\sin \theta, \cos \theta) d\theta, \int_{-\infty}^{\infty} f(x) dx.$	(10)
Module 02	<p>Matrices:-</p> <p>2.1 Eigen values and eigen vectors</p> <p>2.2 Cayley-Hamilton theorem(without proof)</p> <p>2.3 Similar matrices, diagonalisable of matrix.</p> <p>2.4 Derogatory and non-derogatory matrices ,functions of square matrix.</p>	(08)
Module 03	<p>Correlation</p> <p>3.1 Scattered diagrams, Karl Pearson’s coefficient of correlation, covariance, Spearman’s Rank correlation.</p> <p>3.2 Regression Lines.</p>	(04)
Module 04	<p>Probability</p> <p>4.1 Baye’s Theorem,</p> <p>4.2 Random Variables:- discrete & continuous random variables, expectation, Variance, Probability Density Function & Cumulative Density Function.</p> <p>4.3 Moments, Moment Generating Function.</p> <p>4.4 Probability distribution: binomial distribution, Poisson & normal distribution. (For detail study)</p>	(08)
Module 05	<p>Sampling theory</p> <p>5.1 Test of Hypothesis, Level of significance, Critical region, One Tailed and two Tailed test, Test of significant for Large Samples:-Means of the samples and test of significant of means of two large samples.</p> <p>5.2 Test of significant of small samples:- Students t- distribution for dependent and independent samples.</p> <p>5.3 Chi square test:- Test of goodness of fit and independence of attributes, Contingency table.</p>	(08)
Module 06	<p>Mathematical Programming</p> <p>6.1 Types of solution, Standard and Canonical form of LPP, Basic and feasible solutions, simplex method.</p> <p>6.2 Artificial variables, Big –M method (method of penalty).</p> <p>6.3 Duality, Dual simplex method.</p> <p>6.4 Non Linear Programming:-Problems with equality constrains and inequality constrains (No formulation, No Graphical method).</p>	(10)

Term work:

Term work shall consist of minimum four SCILAB practicals and six tutorials.

SCILAB practicals : 08 marks

Tutorials : 12 marks

Attendance : 05 marks

Total : 25 marks

Recommended Books:

1. Higher Engineering Mathematics by Grewal B. S. 38th edition, Khanna Publication 2005.
2. Operation Research by Hira & Gupta, S Chand.
3. A Text Book of Applied Mathematics Vol. I & II by P.N.Wartilar & J.N.Wartikar, Pune, Vidyarthi Griha Prakashan., Pune.
4. Probability and Statistics for Engineering, Dr. J Ravichandran, Wiley-India.
5. Mathematical Statistics by H. C Saxena, S Chand & Co.

Reference Books:

1. Advanced Engg. Mathematics by C. Ray Wylie & Louis Barrett. TMH International Edition.
2. Mathematical Methods of Science and Engineering by Kanti B. Datta, Cengage Learning.
3. Advanced Engineering Mathematics by Kreyszig E. 9th edition, John Wiley.
4. Operations Research by S.D. Sharma Kedar Nath, Ram Nath & Co. Meerat.
5. Engineering optimization (Theory and Practice) by Singiresu S.Rao, New Age International publication.
6. Probability by Seymour Lipschutz, McGraw-Hill publication.

Theory Examination:

- Question paper will comprise of 6 questions, each carrying 20 marks.
- Total 4 questions need to be solved.
- Q.1 will be compulsory, based on entire syllabus wherein sub questions of 2 to 3 marks will be asked.
- Remaining question will be randomly selected from all the modules.

Weightage of marks should be proportional to number of hours assigned to each module.